

Spatial spread-skill relationship in terms of agreement scales for precipitation forecasts in a convection-allowing ensemble

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Verification of precipitation is one of the major issues in evaluating numerical weather prediction. In this study, a recently developed neighbourhood-based method in terms of agreement scales is applied to characterize the scale-dependent spatial spread-skill relationship of precipitation forecasts in a 3 km convection-allowing ensemble prediction system (EPS) over the Yangtze-Huaihe river basin of China. Thirty cases during the Meiyu season of 2013 are classified into two weather regimes, large coverage (LC) and small coverage (SC), based on the precipitation fractional coverage. Overall, precipitation distributions for these two weather regimes are reasonably forecast by the EPS. The results show that the spatial spread-skill relationship depends highly on the weather regime. The spatial spread-skill relationship under SC is poorer and shows more diurnal variation compared to that under LC. In addition, this article extends the neighbourhood-based method to investigate the relative influence of precipitation threshold, the relative impact of precipitation intensity on the relationship gradually decreases, and the influence of precipitation placement becomes dominant.

Key Words: convection-allowing ensemble; precipitation forecast; agreement scale; spatial spread-skill relationship

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1. Introduction

Accurate precipitation forecasts have been particularly challenging for numerical weather prediction models. In the last decade, as the convection-allowing models have been developed rapidly (Kawabata et al., 2007; Baldauf et al., 2011; Seity et al., 2011), convection-allowing ensemble prediction systems (EPSs), which explicitly depict convection and take the uncertainties from many sources into account, show advantages to improve precipitation forecasts (Roberts and Lean, 2008; Clark et al., 2010; Schwartz et al., 2015). The convection-allowing EPSs have been operational or quasi-operational at many forecasting centres, such as MOGREPS-UK with 2.2 km resolution (Tennant, 2015), AROME-EPS with 2.5 km resolution (Vie et al., 2011; Bouttier et al., 2012, 2016; Nuissier et al., 2012), COSMO-DE-EPS with 2.8 km resolution (Peralta et al., 2012; Harnisch and Keil, 2015) and the National Center for Atmospheric Research (NCAR)'s experimental real-time convection-allowing EPS with 4 km resolution (Schwartz et al., 2015). These convection-allowing EPSs provide important guidance in operational weather forecasting (Iyer et al., 2016), especially when predicting high-impact weather such as extreme heavy rain. However, the complexity of nonlinear error growth and the predictability of moist convection on a convective scale (Hohenegger and Schär, 2007; Zhang et al., 2007; Clark et al., 2010; Melhauser and Zhang, 2012) pose great challenges for the improvements and assessment of precipitation forecasts in a convection-allowing EPS. Therefore, verification of precipitation forecasts becomes one of the major issues in evaluating convection-allowing EPSs. This study aims to verify the short-range precipitation forecasts in a convection-allowing EPS, focusing on the scale-dependent spatial spread-skill relationship using a new neighbourhood-based method (Dey *et al.*, 2016a, 2016b).

Traditionally, the spread-skill relationship is used to depict the agreement between the ensemble spread (standard deviation between ensemble members that measures the uncertainty of ensemble) and the expected forecast error of ensemble-mean or control forecast (Grimit and Mass, 2007). Many studies use the traditional spread-skill relationship (or spread-error relationship) to evaluate ensemble precipitation forecasts (Ebert, 2001; Martin et al., 2010; Bouttier et al., 2012; Su et al., 2014). However, the traditional metrics of forecast error, such as root-mean-square error (RMSE) and mean absolute error (MAE), are not suitable for the convection-allowing EPSs due to the serious double penalty (Mittermaier et al., 2013). In addition, the traditional error and spread metrics using all statistical samples are scale-independent. In order to address these problems, some spatial verification methods (Gilleland et al., 2009), such as the Method for Objectbased Diagnostic Evaluation (MODE: Davis et al., 2006, 2009), the neighbourhood-based method (Ebert, 2008, 2009), the method

of Contiguous Rain Area (CRA: Ebert and McBride, 2000), the method of Fractions Skill Score (FSS: Roberts and Lean, 2008) and so on, have been developed for high-resolution weather forecasts. Although these methods can reduce the double penalty problem and provide more significant scale information than the traditional ones, they are proposed for verifying deterministic forecasts not for EPS. In order to extend these methods to verify the convection-allowing EPS, some new methods are further developed (e.g. Zacharov and Rezacova, 2009; Duc *et al.*, 2013; Dey *et al.*, 2014).

Recently, Dey et al. (2016a, 2016b) have developed a new neighbourhood-based method to identify agreement scales and used it to evaluate the scale-dependent spatial spread-skill relationship for ensemble precipitation forecasts in a convectionallowing EPS developed over the United Kingdom. The spatial spread-skill relationship refers to the comparison of the average agreement scale for ensemble members, denoted as $S_{ii}^{A(\overline{mm})}$ and the average agreement scale for ensemble members and observations, denoted as $S_{ij}^{A(\overline{mo})}$. Through a long-term routine model evaluation, they got useful information about ensemble performance and characteristics in summer 2013 over the United Kingdom (Dey et al., 2016b). In order to test the feasibility of this latest method under different climate conditions in different regions, this study applies this neighbourhood-based method to verify a convection-allowing EPS over the Yangtze-Huaihe river basin of China. Also, Dey et al. (2016a, 2016b) pointed out that three factors, including precipitation intensity, precipitation placement and the distance from the precipitation, influence the spatial spread-skill relationship in the EPS. However, their articles did not compare the relative contributions of these factors to the spatial spread-skill relationship. This study extends a new application of this latest method to further analyse the comparative importance of precipitation intensity and placement on the spatial spread-skill relationship in a convectionallowing EPS.

At the same time, the predictability and forecast skill vary with weather regime. Previous studies show that the forecasts under weak forcing regimes tend to produce poorer skill than those under strong forcing regimes (Keil and Craig, 2011); meanwhile the predictability and forecast skill on smaller scales are usually worse than for larger-scale forecasts (Roberts, 2008; Roberts and Lean, 2008; Surcel et al., 2015). Done et al. (2006) proposed the convective adjustment time-scale (τ_c) to classify the weather forcing regime. However, many researchers (Zimmer et al., 2011; Keil et al., 2014; Kuhnlein et al., 2014) investigated $\tau_{\rm c}$ and found out that $\tau_{\rm c}$ actually is a weak indicator to classify the precipitation forecasts in terms of predictability and forecast skill of precipitation. Surcel et al. (2016) found out that the precipitation fractional coverage is the best indicator associated with precipitation predictability among three indicators (τ_c , largescale forcing for ascent and precipitation fractional coverage). Although Dey et al. (2016b) did not verify the spatial spreadskill relationship for different weather regimes, their study also suggested that this relationship is highly associated with precipitation fractional coverage. Therefore, in this study, the precipitation fractional coverage is selected as the classification criterion of weather regime, and the cases during the Meiyu season of 2013 over the Yangtze-Huaihe river basin are categorized to large fractional coverage (LC) and small fractional coverage (SC) groups, respectively.

The Meiyu season over the Yangtze-Huaihe river basin usually spans from mid-June to mid-July (Ding and Chan, 2005), while heavy rainfall often occurs under favourable synoptic conditions, including the Meiyu front, southwesterly low-level jet, low-level vortex and subtropical high (Luo and Chen, 2015). There are several studies using convection-allowing EPS to investigate the mechanism of precipitation during the Meiyu season over the Yangtze-Huaihe river basin. For example, Luo and Chen (2015) investigated the forecast uncertainties and physical mechanisms of a quasi-linear extreme-rain-producing



Figure 1. Domain of the convective-scale EPS with coastlines, province boundaries and topography heights, and the verification domain of precipitation forecasts (inside thick solid lines). [Colour figure can be viewed at wileyonlinelibrary.com].

mesoscale convective system (MCS) along the Meiyu front in east China using convection-permitting ensembles. Wang and Zhong (2014) implemented multi-physics ensemble simulations of a summertime heavy precipitation event and studied the influence of large-scale urbanization on precipitation predictions over the lower reaches of the Yangtze River valley. Due to the expensive computer resources, most of the previous studies used convection-allowing EPS to investigate specific weather cases. Since the Meiyu season of 2013 was concentrated from 23 June to 22 July 2013 over the Yangtze-Huaihe river basin, this study evaluates daily precipitation forecasts of the total of 30 cases and compares the forecast performance under the LC and SC categories, based on a convection-allowing EPS.

The outline of this article is as follows. Section 2 describes the model configurations, verification data, the classification method of weather regimes and the neighbourhood-based method. The averaged results and the comparison between the traditional and spatial spread-skill relationship of one-month studies during the Meiyu season of 2013 are presented in section 3. Section 4 provides the results about the relative influence of precipitation placement and intensity on the spatial spread-skill relationship of precipitation forecasts. Summary and conclusions are given in section 5.

2. Data and method

2.1. Model configuration

The convection-allowing EPS over the Yangtze-Huaihe river basin is based on the Weather Research and Forecasting (WRF) model with the grid spacing of 3 km (single domain, 620×498 grid points) and 50 vertical model levels (Figure 1). It is driven by the control forecast and 14 perturbed forecasts randomly selected from the National Centers for Environmental Prediction (NCEP) Global Ensemble Forecast System (GEFS: Su *et al.*, 2014), which output is archived with 6 h intervals at 1° horizontal resolution (~110 km). GEFS consists of a control forecast and 20 perturbed forecasts using the bred vector-ensemble transform with rescaling (BV-ETR) method (Wei *et al.*, 2008) and stochastic total tendency perturbation (STTP) scheme (Hou *et al.*, 2008). Although there is a big gap between the resolutions of these two EPSs, it is proved as an available way to directly conduct the dynamical downscaling (Lawson and Gallus, 2016; Zhu and

Table 1. Model configurations of the convective-scale EPS with different microphysical, land surface and planetary boundary-layer schemes (more details can be found at https://www.mmm.ucar.edu/weather-research-and-forecasting-model).

Member	MP	LSM	PBL
Gec00	Thompson	Noah	MYJ
Gep01	Lin	RUC	YSU
Gep02	M-Y	NOAH	QNSE
Gep03	Morrison	NOAH	MYNN2
Gep04	WDM6	RUC	ACM2
Gep05	Lin	NOAH	MYJ
Gep06	M-Y	NOAH	YSU
Gep07	Morrison	RUC	QNSE
Gep08	WDM6	NOAH	MYNN2
Gep09	Thompson	RUC	ACM2
Gep10	M-Y	RUC	MYJ
Gep11	Morrison	NOAH	YSU
Gep12	WDM6	NOAH	QNSE
Gep13	Thompson	RUC	MYNN2
Gep14	Lin	RUC	ACM2

Xue, 2016). In order to represent the uncertainty in model physics, different combinations of physical parameter schemes (Table 1), including microphysical schemes, land surface schemes and planetary boundary schemes, are employed to construct individual forecast members in this convection-allowing EPS by referencing to the model configuration of the National Oceanic and Atmospheric Administration (NOAA) Hazardous Weather Testbed 2007–2010 Spring Experiments (Coniglio *et al.*, 2010; Clark *et al.*, 2012) and our own tests. All the members use the same short-wave and long-wave radiation schemes accounting for their less importance and the stability for the model integration.

Thirty cases from one month (23 June to 22 July 2013) during the Meiyu season are initialized at 0000 UTC of each day and forecasted to 36 h with a 3 h output interval, except the control run with hourly rainfall output.

2.2. Precipitation verification data

The verification data are from the NOAA Climate Prediction Center (CPC) Morphing Technique (CMORPH) merged with the rain-gauge observations in China (Shen *et al.*, 2014), which provide official grid precipitation observations in China with the highest temporal (1 h) and spatial (0.1°) resolutions available. Due to the relatively low spatial resolution (\sim 10 km) of these verification data, a compromise is made to verify the precipitation forecasts on the coarser observation grid; the 3 km precipitation forecasts are interpolated using the nearest four grid points with inverse-distance weighting onto the observation grid over the verification domain (25.55–38.25°N, 110.05–122.75°E; Figure 1).

In this study, the 24 h verification period (0300-0300 UTC of the next day, corresponding to 3-27 h of forecast) is defined as an individual case, and 3 h accumulated precipitation forecasts are only evaluated during this 24 h verification period. The first 3 h forecasts are discarded to reduce the spin-up problem, and the 27-36 h forecasts are removed to avoid the overlapping of the cases.

2.3. Classification of weather regimes

The precipitation fractional coverage is defined as the proportion of the verification domain with hourly rainfall rates larger than 0.1 mm h^{-1} . When both median and mean values of precipitation fractional coverage of hourly observations during a 24 h verification period are less than 0.1, that day is categorized as an SC day and otherwise an LC day. By using the coverage threshold of 0.1, the ratio of the SC and LC cases is similar to the percentage of the two categories found in previous studies (Zimmer *et al.*, 2011; Surcel *et al.*, 2016). According to the boxplot of the hourly precipitation coverage of observations (Figure 2(a)), 8 of 30 cases are classified as SC cases, while the remaining 22 cases are LC cases. Taking the control forecast as an example, Figure 2(b) shows a scatter plot of observed fractional coverages of hourly precipitation versus control forecast coverages; it shows a good agreement between forecasts and observations, with a correlation of 0.86, indicating that the model is predicting generally correct regimes in terms of precipitation fractional coverage.

2.4. Location-dependent agreement scales

The neighbourhood-based method (Dey *et al.*, 2016a, 2016b) has been developed to quantify the location-dependent spatial agreement scales between two precipitation fields. The calculation of the agreement scales was described in Dey *et al.* (2016a, 2016b) and is repeated as follows:

The distance D_{ij}^{S} of one grid point (i, j) in the domain at the agreement scale S between two precipitation fields f1 and f2 is defined as:

$$D_{ij}^{S} = \begin{cases} & \frac{\left(f1_{ij}^{S} - f2_{ij}^{S}\right)^{2}}{(f1_{ij}^{S})^{2} + (f2_{ij}^{S})^{2}} & \text{if } f1_{ij}^{S} > 0 \text{ or } f2_{ij}^{S} > 0 \\ & 1 & \text{if } f1_{ij}^{S} = 0 \text{ and } f2_{ij}^{S} = 0 \end{cases}$$

where f_{ij}^S and f_{ij}^S are the area-averaged precipitation within a squared grid box centred upon the point (i, j), which has the side length of $2^*S + 1$. The values of the agreement scale *S* are varied from 0 to S_{lim} , until f_{ij}^S and f_{ij}^S are deemed sufficiently similar when the criterion $D_{ij}^S \leq D_{\text{crit},ij}^S$ is met, where $D_{\text{crit},ij}^S = \alpha + (1 - \alpha) \frac{S}{S_{\text{lim}}}$. More details about this method can be found in Dey *et al.* (2016a, 2016b). In this study, $\alpha = 0.25$ and $S_{\text{lim}} = 30$ are used, considering the size of the domain and the scales of precipitation fields. Other values of S_{lim} , such as 40 and 60, are also tested and produce similar results (Figure S2 in File S1). After the above calculation of each point in the verification domain between two precipitation fields, the agreement scales can be mapped. By its definition, small (large) spatial agreement scales correspond to high (low) spatial agreement.

This study applies the neighbourhood-based method to evaluate the location-dependent spatial agreement between the pairs of ensemble members or between any individual ensemble forecast and the corresponding observation. To assess the general performance and filter the noise in the individual maps of agreement scales (Dey *et al.*, 2016a, 2016b), the verification focuses on analysis of the average scales from all paired fields. For an EPS with *N* members (in this article, N = 14), the averaged result (denoted as $S_{ij}^{A(\overline{mm})}$) of the pairs between ensemble members is generated from the N(N - 1)/2 agreement scale maps, and the averaged result (denoted as $S_{ij}^{A(\overline{mn})}$) of the pairs between individual ensemble members and the observations is the average of the *N* agreement scale maps. In addition, interpretation of agreement scales depends on the verification grid spacing, while similar agreement scales on coarser grids represent coarser spatial scale information than that on finer grids.

In addition, the 'moving binned scatter' (Dey *et al.*, 2016a, 2016b) method is applied to compare the $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mo})}$ in this article. To avoid the noisy scatter plot between $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mo})}$, it is necessary to plot the mean values of $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mo})}$ for each moving bin based on the values of $S_{ij}^{A(\overline{mm})}$. For each bin, the mean value of $S_{ij}^{A(\overline{mm})}$ over those points whose values of agreement scales fall into this bin range is calculated and plotted on the *x*-axis, then the corresponding value of *y*-axis is the mean $S_{ij}^{A(\overline{mm})}$ over these same points. After all bins are calculated, a line of mean $S_{ij}^{A(\overline{mm})}$



Figure 2. (a) Boxplot of hourly precipitation coverage of the merged CMORPH observations for 30 cases (the dot stands for the mean fractional coverage of each case), and (b) scatterplot of hourly precipitation coverage of the merged CMORPH observations vs. the control forecasts for the SC (dark blue) and LC (light red) cases. [Colour figure can be viewed at wileyonlinelibrary.com].

against mean $S_{ij}^{A(\overline{mo})}$ can be plotted. If the curve falls above (below) the diagonal, the ensemble is said to be spatially underdispersive (overdispersive) in terms of agreement scales. After examination (Figure S3 in File S1), the bin size of six grid points is used in this study to retain enough statistical samples and sufficient scale-dependent information in each bin (Dey *et al.*, 2016a, 2016b).

3. Meiyu season averaged results

This section investigates the agreement scales $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mo})}$ and the spatial spread-skill relationship (relationship between $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mo})}$). The spatial and diurnal characteristics of the spatial spread-skill relationship are studied, and the advantages of the new neighbourhood-based method (Dey *et al.*, 2016a, 2016b) are highlighted by comparing with traditional spread-skill relationship (RMSE and spread).

Dey *et al.* (2016b) demonstrated the necessity to test the effect of systematic intensity biases on the verification of spatial spread-skill relationship. Thus, this study also examined the effect of systematic biases by multiplying the observations by a factor of 1.5 (approximately the maximum 3 h intensity bias averaged between the observations and ensemble members; Figure S1 in File S1). Consistent with previous results (Dey *et al.*, 2016b), systematic biases show insignificant influence on the spatial spread-skill relationship.

3.1. Spatial characteristics

Figure 3 displays the spatial distributions of 3 h accumulated precipitation averaged over the 3–27 h lead times from observations and control forecasts under two different weather regimes. Under LC, precipitation distributions are often controlled by the Meiyu front at large-scale circulations and the averaged precipitation is widely spread throughout the whole verification domain (Figures 3(a) and (c)). Because of the shift of the subtropical high and the Meiyu front, most of the precipitation events are east–west or northeast–southwest orientated, forming three major rain bands in the domain (Figures 3(a) and (c)). One rain band is located in the northern area extending from coastal Shandong (~120°E and 37°N) to mountainous Shanxi (~112°E and 36°N) province, one is in the central plain area

from Anhui (~117°E and 31°N) to Hubei (~114°E and 30°N), and the last one in the southern hilly area from eastern Jiangxi (~117°E and 29°N) to western Jiangxi (~115°E and 28°N). In contrast, under SC, precipitation observations and the control forecasts (Figures 3(b) and (d)) are more intense and localized along heterogeneous and steep terrains, such as the mountainous areas in the northwest domain (~111°E and 37°N), Shandong peninsula (~118°E and 36°N) and the coastal areas (~122°E and 35°N) in the northeast domain. In general, the control forecasts of the convection-allowing EPS under two different weather regimes reasonably reproduce the observed precipitation distributions, but both show the displacement errors of rainfall centres. Under LC, the averaged rain intensities of control forecasts (Figure 3(c)) are overestimated, especially in Jiangxi province (~116°E and 29°N) in the middle domain. Compared to the observations under SC (Figure 3(b)), the control forecasts generate more isolated and spurious rain cells (Figure 3(d)), but underforecast the maxima of larger precipitation cells (7.33 mm in Figure 3(b) vs. 3.30 mm in Figure 3(d) in the northeast domain).

Figure 4 shows the spatial distributions of $S_{ii}^{A(\overline{mm})}$ averaged over the 3–27 h lead times under LC and SC, which are similar to the spatial distributions of $S_{ij}^{A(\overline{mo})}$ under the two regimes (Figure S5 in File S1). Overall, the agreement scales under LC are lower than those under SC (2.75 less on domain average), which is consistent with the conclusion that the larger precipitation fractional coverage is associated with smaller agreement scales (higher spatial agreement) (Dey et al., 2016a, 2016b). The smallest agreement scales locate close to the rainfall centres, indicating more confidence about the location of precipitation than other regions. The minimum agreement scale is only 10.1 grid points (around the neighbourhood length of 212 km) under LC and 11.6 grid points (~242 km) under SC. This means that the EPS is not confident about the location of precipitation at scales smaller than these grid scales. In the research of Dev et al. (2016b), the minimum agreement scale of seasonal averaged is 12 grid points, which indicates much smaller physical scales (\sim 55 km) for the high-resolution MOGREPS-UK with the 2.2 km resolution. As mentioned in section 2.4, although the minimum agreement scale of this study is smaller than that of Dey et al. (2016b), more spatial scale information is lost.



Figure 3. Spatial distributions of 3 h accumulated precipitation (mm) averaged from (a, b) the merged CMORPH observations and (c, d) the control forecasts over the 3–27 h lead times for (a, c) the LC cases and (b, d) the SC cases. [Colour figure can be viewed at wileyonlinelibrary.com].

3.2. Diurnal characteristics

Section 3.1 showed spatial characteristics of precipitation and its agreement scales from the convection-allowing EPS. This section focuses on investigating the diurnal variations of domainaveraged precipitation amounts, and comparing spatial spreadskill relationship with traditional spread-skill relationship (RMSE and spread) for 22 cases under LC and 8 cases under SC.

Figure 5 shows the diurnal variations of domain-averaged precipitation amounts under the two weather regimes. Overall, the domain-averaged precipitation amounts under LC (Figure 5(a)) are larger than that under SC (Figure 5(b)). Based on the observations during the 0300–0300 UTC cycle (corresponding to 3-27 h lead times), two rainfall peaks under LC occur at 0900 and 0000 UTC, respectively, while there is only one peak at 2100 UTC for SC. Under LC, the ensemble mean forecasts

reproduce the two peaks successfully (Figure 5(a)), but largely overestimate the first rainfall peak and underestimate the second one. For the precipitation forecasts under SC, the ensemble mean forecasts generate a spurious peak at the 9 h lead time and a 3 h time lag for the 2100 UTC observed peak. The ensemble mean forecasts show obvious overestimations for the specific period during the afternoon and evening (0600-1500 UTC; corresponding to 6-15 h lead times, 1400-2300 LST (UTC + 8 h)) under both regimes and slight underestimations during the early morning 2100-0300 UTC (corresponding to 21-27 h lead times, 0500-1100 LST) for the LC cases. The overestimation (underestimation) of the precipitation on a diurnal cycle may be related to that the physics parametrization schemes (Li et al., 2009; Katragkou et al., 2015) in the convection-allowing model tend to overestimate (underestimate) the afternoon and evening deep convection (shallow convection in the early morning).



Figure 4. Scale maps of $S_{ij}^{A(\overline{nmn})}$ averaged over the 3–27 h lead times for (a) the LC cases and (b) the SC cases. [Colour figure can be viewed at wileyonlinelibrary.com].



Figure 5. Diurnal variations of domain-averaged 3 h accumulated precipitation observations (mm) and ensemble mean (EM) forecasts for (a) the LC cases and (b) the SC cases. The shadow stands for the standard deviation of ensemble members. [Colour figure can be viewed at wileyonlinelibrary.com].

The diurnal variations of domain-averaged RMSE, spread and the traditional spread-skill relationship (spread/RMSE) under two weather regimes (Figures 6(a) and (b)) show similar patterns to the domain-averaged precipitation amounts (Figure 5). Although RMSE and spread under LC are larger than that under SC, there are no obvious differences between the diurnal variations of traditional spread-skill relationship under the two weather regimes. Figure 6(c) shows the diurnal variations of domain-averaged agreement scales of $S_{ij}^{A(\overline{mn})}$ and $S_{ij}^{A(\overline{mo})}$. In general, they are negatively correlated with the domain-averaged precipitation amounts, RMSE and spread. As in the previous study (Dey et al., 2016b), the forecasts under SC show larger domain-averaged agreement scales than LC, revealing that the smaller fractional coverage of precipitation is associated with the poorer spatial agreement. Under both regimes, the domain-averaged agreement scales of $S_{ii}^{A(\overline{mm})}$ are smaller than that corresponding scales of $S_{ii}^{A(\overline{mo})}$ at the same lead time. In order to quantitatively compare the differences of forecast performance for domain-averaged scales under LC and SC, the diurnal variations of the ratios between the domain-averaged agreement scales of $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mm})}$ are presented in Figure 6(d). Different to the traditional spread-skill relationship (Figure 6(b)), the spatial spread-skill relationships (Figure 6(d)) under the two regimes are always less than 1 (underdispersion). The ratio under SC fluctuates more with the lead time than that under LC (Figure 6(d)), indicating that the spatial spread-skill relationship under SC shows higher variations on the diurnal cycle. The ratio under SC reveals the worst spatial spread-skill relationship (Figure 6(d)) at the 18 h lead time, but the traditional spread-skill relationship under SC (Figure 6(d)) is nearly perfect (~1) at the same time.

To further investigate the contradictory results (Figures 6(b) and (d)) between the spatial and traditional spread-skill relationship, Figure 7 presents the spatial distributions of precipitation amounts, RMSE, spread, and agreement scales averaged over all cases under SC at the 18 h lead time.



Figure 6. Diurnal variations of domain-averaged (a) RMSE and spread for 3 h accumulated precipitation, (b) ratios of spread and RMSE, (c) $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mm})}$, and (d) the ratios of $S_{ii}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mm})}$ under the two weather regimes, LC and SC. [Colour figure can be viewed at wileyonlinelibrary.com].

Obviously, the forecasts for heavier precipitation amounts (bold black contours in Figures 7(a)-(f)) show larger forecast errors (Figure 7(a)), increased spread (Figure 7(b)), and higher agreement (Figures 7(d) and (e)). In terms of the differences between the spread and RMSE (Figure 7(c)), the EPS is severely underdispersive in the precipitation areas and overdispersive in relatively large dry regions especially around rain cells. Thus, the domain-averaged difference between the spread and RMSE is quite small (0.14), which leads to the best (\sim 1) traditional spread-skill relationship (i.e. the ratio of spread and RMSE) at the 18 h lead time (Figure 6(b)). On the contrary, Figure 7(f) shows underdispersive forecasts overspreading the verification area, with extremely insufficient spread in the rain cells. Overall, both the traditional and spatial spread-skill relationship metrics (Figures 7(c) and (f)) indicate that the EPS lacks spread in the rainfall regions over the northwest mountainous areas and northeast coastal areas. However, the traditional spread-skill relationship only measures the static information of point-wise error and spread (Figure 7(c)) and provides a spurious perfect spread-skill relationship (Figure 6(b)), while the spatial spread-skill relationship is capable of reflecting the correct spatial scale information in the neighbourhood space (Figure 7(f)) and thus obtaining consistent total statistics (Figure 6(d)).

In addition, more scale information about the spatial spreadskill relationship is obtained by using the 'moving binned scatter' method (Dey *et al.*, 2016a, 2016b). Figure 8(a) shows the spatial spread-skill relationship over the 3-27 h lead times under LC and SC. As the curves are situated above the diagonal, the agreement scales below 20 grid points indicate the underdispersive spread-skill relationship under both regimes, and more severe underdispersion for that under SC. For different lead times, the spread-skill relationship shows slight diurnal variations under LC (Figure 8(b)), while it shows much larger diurnal variations under SC (Figure 8(c)) with the worst skill at the 18h lead time. This is consistent with the results shown in Figure 6(d). In order to examine whether the differences under the two regimes are caused by different sample sizes, eight cases are randomly selected under LC (Figure S4 in File S1) and a similar conclusion can be drawn. Therefore, the differences of the spatial spread-skill relationship under LC and SC are mainly attributed to different predictabilities of these two weather regimes.

4. Relative influence of precipitation intensity and placement

In section 3, the agreement scales $(S_{ij}^{A(\overline{mm})} \text{ and } S_{ij}^{A(\overline{mo})})$ and spatial spread-skill relationship were investigated, and compared with the traditional spread-skill relationship during the Meiyu season of 2013. Dey *et al.* (2016a, 2016b) demonstrated that $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mo})}$ are influenced by three factors, including the placement of precipitation, bias in precipitation intensity, and distance from the precipitation. However, their articles have not discussed the



Figure 7. Spatial distributions of (a) RMSE, (b) spread, (c) the differences between spread and RMSE, (d) $S_{ij}^{A(\overline{mnn})}$, (e) $S_{ij}^{A(\overline{mnn})}$, and (f) the difference between $S_{ij}^{A(\overline{mnn})}$ and $S_{ij}^{A(\overline{mnn})}$ for 3 h accumulated precipitation averaged for the SC cases at the 18 h lead time. The bold black contours represent the observations ranging from 1 to 7 mm with a 2 mm interval. [Colour figure can be viewed at wileyonlinelibrary.com].



Figure 8. Moving binned scatterplots of $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mm})}$ of 3 h accumulated precipitation for (a) the 3–27 h lead times, and different lead times under the (b) LC and (c) SC weather regimes. [Colour figure can be viewed at wileyonlinelibrary.com].

relative importance of these factors. For the precipitation grids (the grids whose rain rates from any ensemble members or the observations are above a specific precipitation threshold), the precipitation placement and intensity are the main impact factors on the spatial spread-skill relationship. In this section, we extend a new application of this neighbourhood-based method to further investigate the relative influence of precipitation intensity and placement on the frequency distributions of agreement scales and spatial spread-skill relationship. Before calculating the agreement scales, the rain rates below a specific precipitation threshold are processed as zero values and the ones above the threshold remain unchanged to provide the first type of precipitation field (hereinafter, the threshold raw field). Similarly, the original rainfall amounts below the threshold are truncated to zero values and the amounts above the threshold are set to one, which provides the second type of precipitation field (hereinafter, the threshold binary field). In this study, the agreement scales $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mo})}$ are calculated and



Figure 9. Frequency histograms of $S_{ij}^{A(\overline{mn})}$ for the threshold raw (black solid) and binary (coloured solid) precipitation fields, and $S_{ij}^{A(\overline{mm})}$ for the threshold raw (black dash) and binary (coloured dash) precipitation fields, over the 3–27 h lead times at the thresholds of (a, e) 0.1 mm (3 h)⁻¹, (b, f) 2 mm (3 h)⁻¹, (c, g) 7 mm (3 h)⁻¹, and (d, h) 15 mm (3 h)⁻¹ under the (a–d) LC and (e–h) SC weather regimes. [Colour figure can be viewed at wileyonlinelibrary.com].

compared for the threshold raw and binary fields, respectively. The differences between the agreement scales of these two types of precipitation field are caused by the bias in precipitation intensity alone, because the threshold raw fields and threshold binary fields are the same except for the precipitation intensity above the selected threshold.

4.1. Relative influence on frequency distributions of agreement scales

The frequency distributions of $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mo})}$ (Figure 9) for all precipitation grids are presented for the two types of precipitation fields at four precipitation threshold (0.1, 2, 7 and $15 \text{ mm}(3 \text{ h})^{-1}$) over the 3–27 h lead times. For the threshold raw precipitation fields, most of the $S_{ii}^{A(\overline{mm})}$ range from 5 to 10 grid points (~110-210 km), and the distributions are similar for different precipitation thresholds under both weather regimes. In terms of $S_{ij}^{\overline{A}(\overline{mo})}$, the proportions of agreement scales larger than 25 grid points obviously increase with the increasing threshold, especially under SC. These results demonstrate that the spatial agreement between ensemble members is high and less affected by weather regimes and precipitation thresholds. However, with the increasing threshold, the spatial agreement between ensemble members and observations gradually decreases, especially for the SC regime. This is the reason why the spatial spread-skill relationship becomes more and more underdispersive with the increasing precipitation threshold (Figure S6 in File S1), which can be inferred from both types of precipitation fields.

Comparing the frequency distributions of $S_{ij}^{A(\overline{mm})}$ or $S_{ij}^{A(\overline{mn})}$ for the threshold raw and threshold binary precipitation fields, the frequencies of agreement scales with lower values change the most. By removing the bias of precipitation intensity, the frequencies of small agreement scales for the threshold binary precipitation fields are greatly enhanced compared with the threshold raw ones. With the increasing agreement scale and precipitation threshold, the frequency differences of $S_{ij}^{A(\overline{mm})}$ or $S_{ij}^{A(\overline{mn})}$ between these two types of precipitation field steadily decrease, indicating that the precipitation intensity plays a more important role in the agreement scales for smaller rainfall thresholds. Indeed, the EPS can reasonably predict the spatial coverage of major rain bands during the Meiyu season, and hence the intensity becomes relatively important for the lighter precipitation (Figure 3).

4.2. Relative influence on the spatial spread-skill relationship

This section aims to investigate the relative influence of precipitation intensity on the spatial spread-skill relationship. Figure 10 shows the moving bin scatter plots of all precipitation grids for the threshold raw and binary precipitation fields at four precipitation thresholds. For the 2, 7, 15 mm $(3 h)^{-1}$ thresholds, the spatial spread-skill relationship is generally underdispersive. By contrast, the forecasts exhibit mixed overdispersion and underdispersion at the lowest threshold $(0.1 \text{ mm } (3 h)^{-1})$. With the increasing threshold, the spatial agreement for both regimes



Figure 10. Moving binned scatterplots of $S_{ij}^{A(\overline{mm})}$ and $S_{ij}^{A(\overline{mm})}$ for the threshold raw and binary precipitation fields over the 3–27 h lead times at the thresholds of (a) 0.1 mm (3 h)⁻¹, (b) 2 mm (3 h)⁻¹, (c) 7 mm (3 h)⁻¹, and (d) 15 mm (3 h)⁻¹. [Colour figure can be viewed at wileyonlinelibrary.com].

decreases, suggesting that the EPS tends to provide precipitation forecasts with more insufficient spread for higher precipitation intensities. The spatial agreement under LC is generally higher than that under SC for all thresholds. Under the same weather regime at a specified threshold, the spatial agreement for threshold binary precipitation fields is higher than the corresponding threshold raw precipitation fields, because the influences of precipitation intensity bias are eliminated for the threshold binary precipitation fields. With the increasing threshold, the scale differences between these two types of precipitation fields become smaller and smaller, indicating the impact of precipitation intensity on the spatial spread-skill relationship reduces.

In order to quantitatively analyse the relative influence of precipitation intensity on the spatial spread-skill relationship, the relative skill difference percentages between the threshold binary and raw precipitation fields are defined as $s^i = \frac{s^i_b - s^i_r}{s^i_r}$, where s^i_b and s^i_r denote the skill (the ratio between averaged $S^{A(\overline{mnn})}_{ij}$ and $S^{A(\overline{mnn})}_{ij}$ within the *i*th moving bin) for the threshold binary and threshold raw fields, respectively.

Figure 11 shows that skill differences between the two types of precipitation fields decrease with the increasing agreement

scale and precipitation thresholds. For light $(0.1 \text{ mm} (3 \text{ h})^{-1};$ Figure 11(a)) and moderate $(2 \text{ mm} (3 \text{ h})^{-1})$; Figure 11(b)) rain, the influence of precipitation intensity under SC is larger than that under LC, especially for the smaller agreement scales. At larger agreement scales, there are no obvious differences between the two types of precipitation fields, in particular for higher rainfall thresholds (Figures 11(c) and (d)). With increasing agreement scales (relatively larger area), removing the precipitation intensity bias above higher thresholds may cause negative skill difference percentage (Figure 11(b)-(d)), because spurious rainfall cells may reduce dry intensity bias of heavy rainfall in raw precipitation forecasts and relatively increase the skill in the threshold raw field. Overall, the impacts of precipitation intensity on the spatial spread-skill relationship decrease with the increasing threshold, while the precipitation placement becomes more dominant to influence the spatial spread-skill relationship for heavy precipitation events.

4.3. Two case-studies

In addition, two cases are analysed to provide a more intuitive understanding of the relative influence of precipitation intensity



Figure 11. Relative skill difference percentages between the threshold binary and raw precipitation fields over the 3-27h lead times at the thresholds of (a) $0.1 \text{ mm} (3 \text{ h})^{-1}$, (b) $2 \text{ mm} (3 \text{ h})^{-1}$, (c) $7 \text{ mm} (3 \text{ h})^{-1}$, and (d) $15 \text{ mm} (3 \text{ h})^{-1}$. [Colour figure can be viewed at wileyonlinelibrary.com].

and placement on the spatial spread-skill relationship. Case 1 (initialized at 0000 UTC 27 June 2013) and case 2 (initialized at 0000 UTC 7 July 2013) are selected to represent LC and SC events, respectively. The relatively stationary rain band in case 1 is controlled by the Meiyu front that locates at the south of the verification domain, and it reaches the maximum rain intensity at 27 h lead time (Figure 12). In case 2, the precipitation is mainly caused by the MCSs moving from the southwest to the northeast, and it develops to the strongest cell at 12 h lead time (Figure 13).

For the LC case, the forecasted precipitation rain band (shaded area) over both thresholds is generally consistent with the observation (dark blue contours). The small agreement scales of $S_{::}^{A(\overline{mm})}$ for the threshold raw fields (Figures 12(a) and (d)) are confined within the precipitation grids, indicating that the EPS is very confident about the location of this rain band controlled by the Meiyu front. For example, the smallest scale is 1.2 grid points (\sim 34 km) at the 0.1 mm (3 h)⁻¹ threshold (Figure 12(a)). The positive values of the differences $(S_{ii}^{A(\overline{mn})} - S_{ii}^{A(\overline{mo})})$ reveal an overdispersion of the spatial spread-skill relationship, especially for larger agreement scales (Figures 12(a) and (d)), mixed with the underdispersion (negative values) around the rain-band centre with smaller agreement scales at both thresholds (Figures 12(b) and (e)). As shown in sections 4.1 and 4.2, the larger the differences of $S_{ii}^{A(\overline{mm})}$ between the threshold raw and binary fields, the stronger the relative impact of precipitation intensity on agreement scales. Apparently, the LC case demonstrates that the relative influence of precipitation intensity decreases with the increasing precipitation threshold (Figures 12(c) and (f)).

Compared to the LC case, the coverage and displacement biases are much larger in the SC case, while multiple rain cells develop and shift fast with MCSs. Although the EPS is also confident about the location of most rain cells with small agreement scales for this SC case (Figures 13(a) and (d)), the underdispersion (Figures 13(b) and (e)) of the spatial spread-skill relationship for the SC case is more severe than that for the LC case at both thresholds. The statistics for different lead times (Figures 8(b) and (c)) also suggests that the spatial spread-skill relationship is less underdispersive and more reasonable under LC than that under SC. Similar to the LC case, the precipitation placement gradually becomes a dominant factor to affect the spatial spreadskill relationship at higher precipitation thresholds (Figures 13(c) and (f)).

5. Summary and conclusions

In this study, a new neighbourhood-based method in terms of agreement scale (Dey *et al.*, 2016a, 2016b) is applied to verify the spatial spread-skill relationship of precipitation forecasts in a convection-allowing EPS. The precipitation forecasts during the Meiyu season from 23 June to 22 July 2013 are produced by this EPS with a 3 km grid spacing over the Yangtze-Huaihe river basin of China. Since the forecast skill highly depends on weather regime, precipitation fractional coverage over the verification domain is used to classify the total of 30 cases into two categories: the large-coverage (LC) and small-coverage (SC) regimes. This study also proposes a new application of this new neighbourhood-based method, which further investigates the relative influence and importance of precipitation placement and



Figure 12. For case 1 (initialized at 0000 UTC 27 June 2013) at the 27 h lead time, spatial distributions of (a, d) $S_{ij}^{A(\overline{mm})}$ and (b, e) $S_{ij}^{A(\overline{mm})} - S_{ij}^{A(\overline{mm})}$ for the threshold raw fields over the thresholds of (a–c) 0.1 mm (3 h)⁻¹ and (d–f) 7 mm (3 h)⁻¹, and (c, f) the differences of $S_{ij}^{A(\overline{mm})}$ between the threshold raw and binary fields (raw – binary). The gray areas are the region below the precipitation threshold. The dark blue contours represent the observed precipitation threshold. [Colour figure can be viewed at wileyonlinelibrary.com].

intensity on the spatial spread-skill relationship of precipitation forecasts.

The verification results show that for the 30 days considered here, the spatial spread-skill relationships under both LC and SC are underdispersive, except that for the light precipitation at the $0.1 \text{ mm} (3 \text{ h})^{-1}$ threshold. This underdispersion deteriorates with increasing precipitation threshold, suggesting more difficulties in predicting the location of rain for higher precipitation thresholds. Also, the spatial spread-skill relationship under SC is poorer and has more diurnal variations compared to that under LC. In addition, this study compares the traditional and spatial spread-skill relationship. With the traditional scale-independent approach, spread-skill relationship is evaluated over the entire verification domain; scale-dependent behaviours that are common with localized precipitation cannot be revealed. The scale-dependent neighbourhood-based method examined in this article provides a remedy.

This study further investigates the relative influence of precipitation intensity and placement on agreement scales and spatial spread-skill relationship. By transforming the precipitation fields to the threshold raw and binary fields, the neighbourhoodbased method is able to compare the relative impact of the precipitation intensity and placement on the spatial spread-skill relationship. The results indicate that the effect of precipitation intensity on the spatial spread-skill relationship concentrates on the lower agreement scales (closer to the centre of precipitation), and decreases with the increasing precipitation threshold and agreement scale. The relative skill difference percentages (Figure 11) and two case-studies (Figures 12 and 13) reveal that the precipitation placement gradually dominates the spatial spread-skill relationship with the increasing precipitation threshold. In particular, the precipitation intensity has much less influence on the spatial spread-skill relationship under SC at higher thresholds, consistent with the increasing difficulty of precipitation forecasting for local heavy rain. The impact of precipitation placement on the spatial spread-skill relationship is more important than precipitation intensity, especially for heavy precipitation and the SC cases.

Although this study analyses the relative influence of precipitation intensity and placement quantitatively, other impact factors such as precipitation structure are also worthy of investigation in the future. There are other limitations in this study. The resolution of the merged CMORPH precipitation data is limited to 0.1° $(\sim 10 \text{ km})$ which is the best gridded data currently available in China. Because of that, spatial spread-skill relationship for scales below the 10 km cannot be examined. Higher-resolution data are desirable. In addition, many studies (Wang et al., 2014; Johnson and Wang, 2016) have emphasized the importance of initial small-scale information on the forecasts in a convection-allowing EPS. While it is simple to drive initial conditions of a convectionallowing EPS by downscaling a global ensemble (Peralta et al., 2012; Zhu and Xue, 2016), small-scale initial perturbations are missing from the global ensemble. This is perhaps another reason for the relatively poor spatial spread-skill relationship under SC. In future versions of our convection-allowing EPS, small-scale initial perturbations will be implemented and the



Figure 13. Same as Figure 12, but for case 2 (initialized at 0000 UTC 7 July 2013) at the 12 h lead time. [Colour figure can be viewed at wileyonlinelibrary.com].

spatial spread-skill relationship will be evaluated to assess the Clark AJ, Gallus WA, Xue M, Kong FY. 2010. Convection-allowing and benefit of the improved initial perturbations.

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Supporting information

The following supporting information is available as part of the online article:

File S1. Supporting Information.

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